

Sol. In $\triangle ABC$, $AB = AC$
 $\Rightarrow \angle C = \angle B \dots \textcircled{1}$
 [isos. \triangle prop.]

$BC = AC$
 $\angle A = \angle B \dots \textcircled{2}$ (do)

$$\angle A + \angle B + \angle C = 180^\circ$$

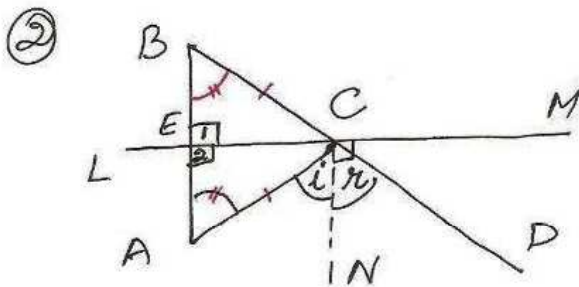
$$\angle A + \angle A + \angle A = 180^\circ$$

$$\Rightarrow 3\angle A = 180^\circ$$

$$\Rightarrow \angle A = \frac{180}{3}$$

$$= 60^\circ$$

$$\therefore \angle A = \angle B = \angle C = 60^\circ$$



to prove $AE = BE$

proof $CN \perp LM$
 $AB \perp LM$

$$\Rightarrow AB \parallel CN$$

$$\angle A = \angle C \text{ (alt interior angles)}$$

$$\dots \textcircled{1}$$

$$\angle B = \angle C \dots \textcircled{2}$$

(corres. angles)

$$\angle C = \angle B \dots \textcircled{3}$$

From $\textcircled{1}, \textcircled{2}, \textcircled{3}$

$$\angle A = \angle B$$

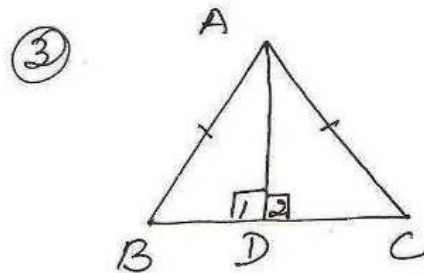
In $\triangle CEB$ and $\triangle CEA$
 $\angle B = \angle A$ (proved)

$$\angle C = \angle C = 90^\circ$$

$CE = CE$ (common)

$\therefore \triangle CEB \cong \triangle CEA$ by
 AAS Cor.

$$\therefore BE = AE \text{ (Cpct)}$$



In $\triangle ADB$ and $\triangle ADC$

$$\angle D = \angle D = 90^\circ$$

$AB = AC$ (given)

$AD = AD$ (common)

$\therefore \triangle ADB \cong \triangle ADC$
 by RHS

Better to
 use $\angle B = \angle C$