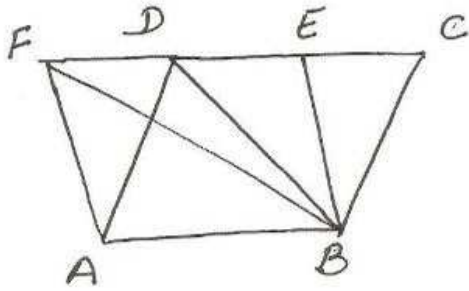


③



Sol

$$\text{ar}(\text{trapezium } ABFE)$$

$$= \text{ar}(\text{trapezium } ABFE) = 90 \text{ cm}^2$$

[trapeziums on same
base and
between same
|| lines]

$$\text{ar}(\triangle ABD) = \frac{1}{2} \text{ar}(\text{trapezium } ABFE)$$

$$= \frac{1}{2} \times 90$$

$$= 45 \text{ cm}^2$$

[\triangle and trapezium on
same base and
between same ||
lines]

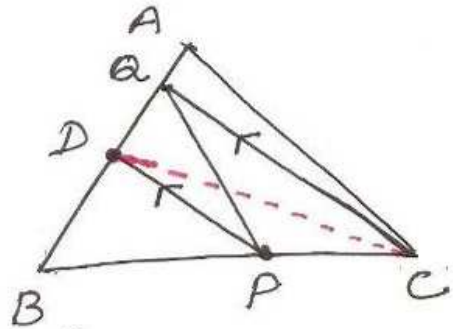
$$\text{ar}(\triangle BEF) = \frac{1}{2} \text{ar}(\text{trapezium } ABFE)$$

$$= \frac{1}{2} \times 90$$

$$= 45 \text{ cm}^2 \text{ (do)}$$

ex 9.3, exemplar 1x

④



To prove

$$\text{ar}(\triangle BPD) = \frac{1}{2} \text{ar}(\triangle ABC)$$

Proof

$$\text{ar}(\triangle BDP) = \text{ar}(\triangle CDP)$$

[\triangle s on same
base and
between same
|| lines]

$$\text{ar}(\triangle BDP) + \text{ar}(\triangle DBP)$$

$$= \text{ar}(\triangle CDP) + \text{ar}(\triangle DBP)$$

$$\Rightarrow \text{ar}(\triangle BPD) = \text{ar}(\triangle BDC)$$

... ①
CD is median to side
AB of $\triangle ABC$

$$\therefore \text{ar}(\triangle BDC) = \frac{1}{2} \text{ar}(\triangle ABC)$$

From ①, ②

$$\text{ar}(\triangle BPD) = \frac{1}{2} \text{ar}(\triangle ABC)$$