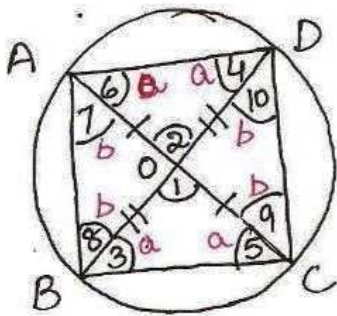


Alternate Solution



Chords AC and BD of a circle bisect each other. Prove AC and BD are diameters and quadrilateral ABCD is a rectangle.

to prove AC and BD are diameters
 $\square ABCD$ is a rectangle

proof In $\triangle BOC$ and $\triangle DOA$

$OB = OD$ (given)

$\angle 1 = \angle 2$ (vert. opp. \angle s)

$OC = OA$ (given)

$\therefore \triangle BOC \cong \triangle DOA$ by SAS property

$\angle 3 = \angle 4 \dots \textcircled{i}$ (cpct)

$\angle 5 = \angle 6 \dots \textcircled{ii}$

$\angle 3 = \angle 6 \dots \textcircled{iii}$ (angles in same segment)

$\angle 4 = \angle 5 \dots \textcircled{iv}$

$\angle 3 = \angle 4 = \angle 5 = \angle 6$ (From $\textcircled{i}, \textcircled{ii}, \textcircled{iii}, \textcircled{iv}$)

let $\angle 3 = \angle 4 = \angle 5 = \angle 6 = a^\circ$

Similarly $\angle 7 = \angle 8 = \angle 9 = \angle 10$

let $\angle 7 = \angle 8 = \angle 9 = \angle 10 = b^\circ$

$\angle A = \angle C$ (each $a+b$)

But $\angle A + \angle C = 180^\circ$ (opp. angles of cyclic \square)

$\therefore 2\angle A = 180^\circ$

$\angle A = 90^\circ$

Similarly BD is diameter of \odot
 AC is diameter of \odot

$\angle A = \angle B = \angle C = \angle D$ (each $a+b$)

$\therefore \square ABCD$ is a rectangle